

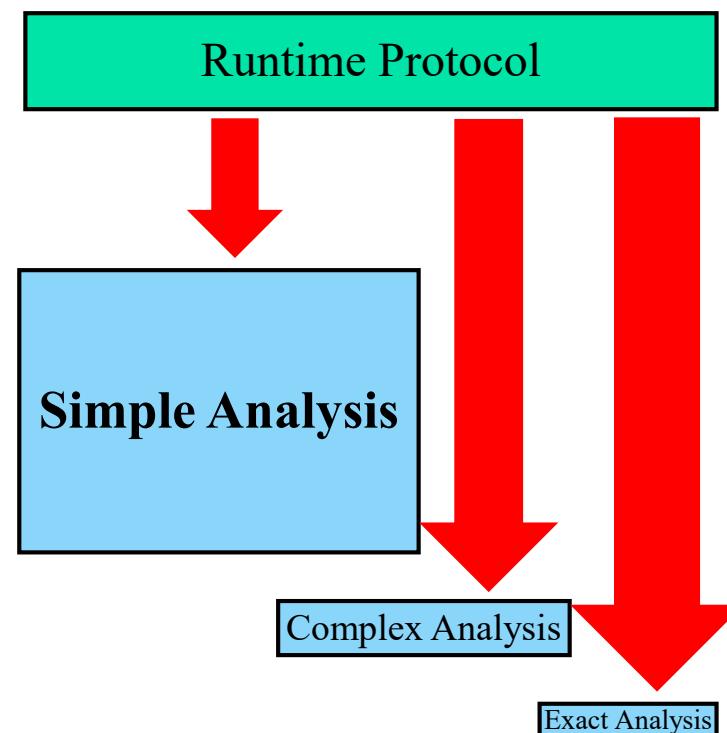
Analysis-Runtime Co-design for Adaptive Mixed Criticality Scheduling

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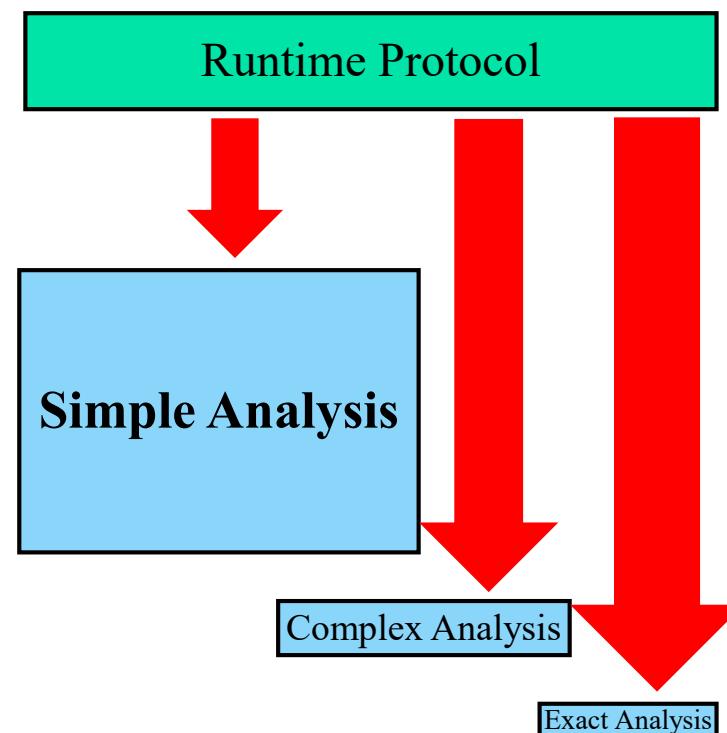
Background: Analysis-Runtime Co-design

- **Focus of this research**
 - Runtime scheduling protocols and their schedulability analysis
- **Traditional approach**
 - Runtime protocol designed first
 - Typically this is done without considering the difficulties involved in providing analysis for it
 - Schedulability analysis comes later, often in the form of a simple tractable test that is *sufficient*, but not exact
 - Subsequent work then tends to focus on ever more precise analysis, trading off complexity for greater precision
 - Finally, *exact* analysis, if it can be developed at all, is often intractable, and may also be quite difficult to understand



Background: Analysis-Runtime Co-design

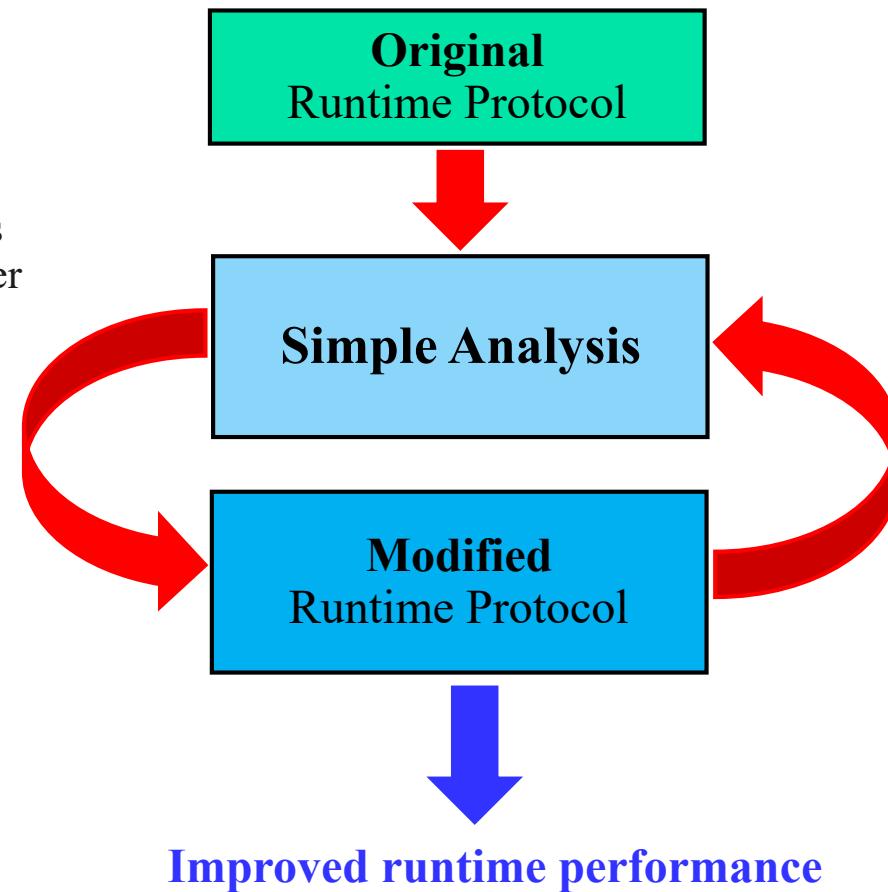
- **Industrial perspective**
 - Industry has a strong preference for simple solutions
 - Simple analysis may well be: "*good enough for industrial use*"
 - Marginal gains of more complex analysis may not be worthwhile, given that it is usually much harder to understand and to build upon
- **Mantra: “*Don’t let the perfect be the enemy of the good*”**
 - Often attributed to **Voltaire**
 - More likely attributable to Charles-Louis de Secondat, Baron de La Brède et de **Montesquieu**
 - "*Le mieux est le mortel ennemi du bien*" or "The better is the mortal enemy of the good"

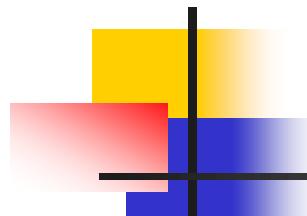


Background: Analysis-Runtime Co-design

■ Basic idea

- Retain the **simple analysis** along with the schedulability guarantees that it provides
- Refine the **runtime protocol** so that it has improved performance with respect to other important metrics while still complying with the assumptions of the analysis





Mixed Criticality Systems

- **System model**

- Tasks are characterized by their *criticality* level either HI or LO
- LO-criticality tasks have a single LO-criticality estimate of their WCET, $C_i(LO)$
- HI-criticality tasks have an additional HI-criticality estimate $C_i(HI)$

- **Timing Assurance Requirements**

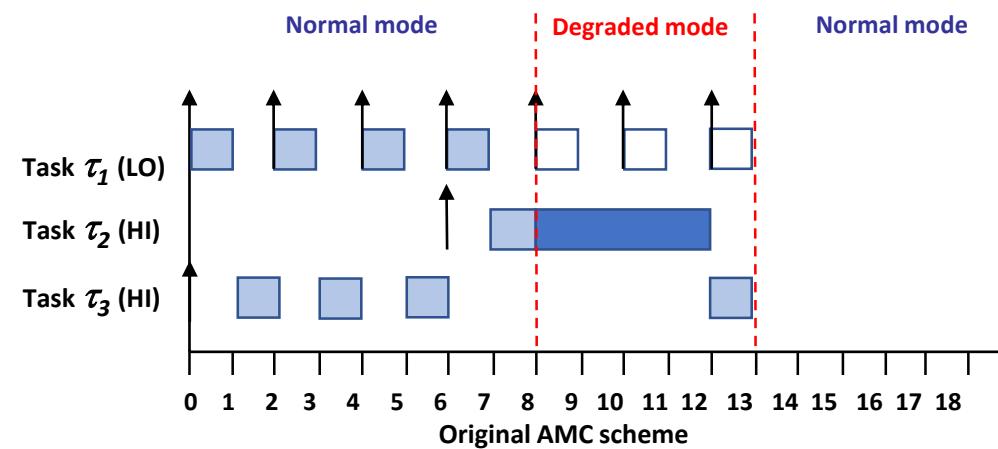
- **Requirement R1:** (**Normal behaviour**) If all jobs of the tasks comply with their LO-criticality WCET estimates $C_i(LO)$, then all jobs must be guaranteed to meet their deadlines.
- **Requirement R2:** (**Abnormal behaviour**) If a job of a HI-criticality task executes for its LO-criticality WCET estimate $C_i(LO)$ without completing, then only jobs of HI-criticality tasks are required to meet their deadlines.

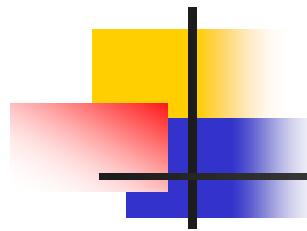


Adaptive Mixed Criticality (AMC)

■ Runtime protocol for AMC

- Based on Fixed Priority Pre-emptive Scheduling
- System starts in **normal mode** where all tasks can release jobs
- If a HI-criticality job executes for its $C_i(LO)$ without completing then the system enters **degraded mode**
- In **degraded mode**, HI-criticality tasks can release new jobs, whereas new jobs of LO-criticality tasks are abandoned and do not execute
- On an idle instant, the system returns to **normal mode**





Schedulability Analysis: Concepts

- Key concept in the analysis of fixed priority pre-emptive scheduling
- Priority level- i busy period
 - This is a contiguous interval of time during which jobs of tasks of priority i or higher execute
 - It starts at a time $s[i]$ when a job of a task of priority i or higher is released and there are no jobs of tasks of priority i or higher that currently have any execution pending
 - It ends at the earliest time $t[i]$ after its start $s[i]$ when there are no jobs of tasks of priority i or higher that have execution remaining that were released strictly before the end time $t[i]$
- Useful properties
 - Longest priority level- i busy period upper bounds the worst-case response time of the task at priority i



Analysis for AMC: AMC-rtb test

- **Normal behaviour**

$$R_i(LO) = C_i(LO) + \sum_{j \in \text{hp}(i)} \left\lceil \frac{R_i(LO)}{T_j} \right\rceil C_j(LO)$$

1. All interfering jobs of higher priority HI-criticality tasks can execute for their $C_j(HI)$

- **Abnormal behaviour**

$$R_i(HI) = C_i(HI) + \sum_{j \in \text{hpH}(i)} \left\lceil \frac{R_i(HI)}{T_j} \right\rceil C_j(HI)$$

$$+ \sum_{k \in \text{hpL}(i)} \left\lceil \frac{R_i(LO)}{T_k} \right\rceil C_k(LO)$$

2. Jobs of higher priority LO-criticality tasks that are released by $R_i(LO)$ as measured from the start of the busy period can cause interference

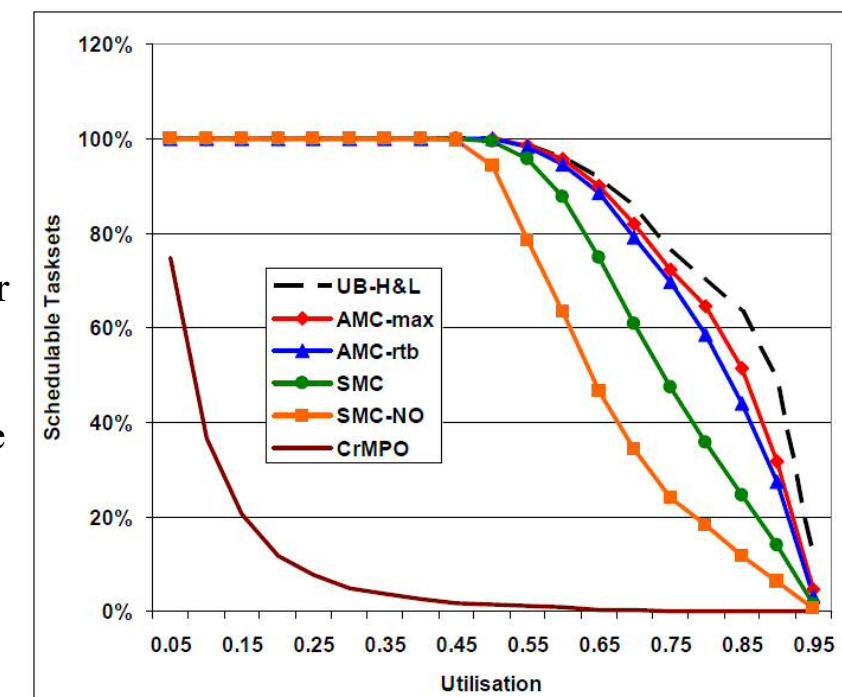
3. Pessimistic: Once a single HI-criticality job executes for its $C_j(LO)$ without completing, then no more jobs of LO-criticality tasks can be released



Analysis for AMC: AMC-rtb test

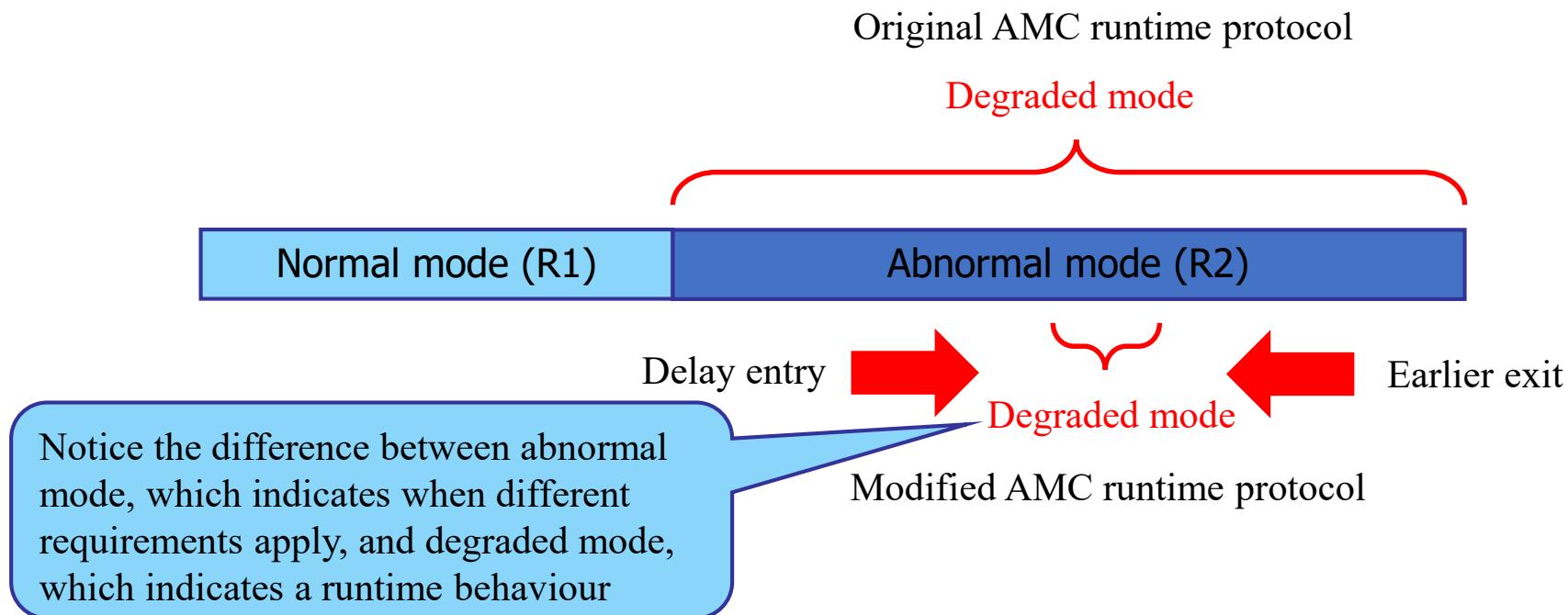
■ De-facto standard test for AMC

- Published in RTSS 2011
- Built upon by many subsequent papers, which extended the original work
- Performance of the AMC-rtb test is close to that of more complex tests, such as AMC-max
- AMC-rtb test is however more suitable for industrial use due to its simplicity and effectiveness
- Studies into the use of AMC (based on the AMC-rtb test) have been done by a major aerospace company: Rolls Royce Control Systems on a Full Authority Digital Engine Controller (FADEC)



What can we do to improve upon the AMC runtime protocol?

- Aim is to reduce the time spent in **degraded mode**
 - Reducing how often degraded mode is entered
 - Waiting longer before entering degraded mode in the first place
 - Exiting degraded mode quicker
- To achieve the main goal: abandon far fewer LO-criticality jobs



How can we improve upon the original AMC runtime protocol?

- **Modify the runtime protocol to closely follow the analysis**
 - Allow jobs of HI-criticality tasks to execute for their $C_i(HI)$, and also permit LO-criticality tasks to release jobs until some job of a HI-criticality task τ_i reaches a time $R_i(LO)$ since the start of the priority level- i busy period in which it was released

$$R_i(HI) = C_i(HI) + \sum_{j \in \text{hpH}(i)} \left\lceil \frac{R_i(HI)}{T_j} \right\rceil C_j(HI) + \sum_{k \in \text{hpL}(i)} \left\lceil \frac{R_i(LO)}{T_k} \right\rceil C_k(LO)$$

- **Key point: Trigger on response times rather than execution times**
 - The system starts in **normal mode** where all tasks can release jobs
 - If an active job of a HI-criticality task τ_i reaches a time equal to its $R_i(LO)$ after the start of the priority level- i busy period in which it was released then the system enters **degraded mode** where only HI-criticality tasks can release jobs
 - When a job of some HI-criticality task τ_j completes and there is no active job of any other HI-criticality task τ_k that has reached a time equal to its $R_k(LO)$ after the start of the priority level- k busy period in which it was released then the system returns to **normal mode**

Proof in the paper that the AMC-rtb test holds for this modified AMC runtime protocol



Pros and Cons of the modified AMC runtime protocol

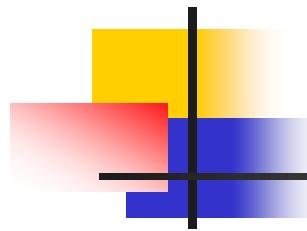
■ Advantages

- Compatible with the AMC-rtb schedulability test and retains its guarantees
- For any given scenario, entry into degraded mode cannot be earlier with the modified protocol, since $R_i(LO)$ is the latest that the transition could occur when triggering a change to degraded mode based on execution times
- Typically, entry into degraded mode is much later and is often not required at all
- Further, exit from degraded mode is typically much earlier than waiting for an idle instant
- Automatically takes advantage of any gain time produced when interfering jobs execute for less than their worst-case execution time
- Also automatically takes advantage of non-worst-case patterns of job arrivals from higher priority tasks (for example sporadic behaviours and periodic releases that are not synchronized, i.e. not at a critical instant)

■ Disadvantages

- Exact schedulability is dominated by (i.e. worse than) that for the original AMC runtime protocol
- Not compatible with the improved but still sufficient AMC-max schedulability test





Enhancements to AMC scheduling schemes

■ Static Slack

- Increasing $C_i(LO)$ as far as possible for each HI-criticality task, which delays entry into degraded mode for the original runtime protocol and also for the modified runtime protocol via increased $R_i(LO)$ values

■ Gain Time

- Gain time occurs when a job executes for less than its execution time budget
- Explicitly accounting for gain time and transferring it to the next lower priority task can improve the performance of the original runtime protocol
- Gain time is automatically taken care of by the modified protocol, since it triggers on response times

■ Lazy Execution

- Last chance opportunity for LO-criticality jobs that would otherwise be abandoned in degraded mode to run via a separate background priority queue
- Not appropriate for all systems as it can increase blocking effects and impacts mutual exclusion primitives that are based on priorities



Scenario-based Evaluation

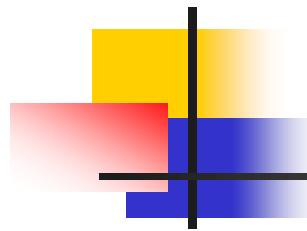
■ Configuration

- Generated 500 synthetic task sets with utilization 0.8 that were schedulable according to AMC-rtb, but not schedulable under FPPS as a single-criticality system
- Task periods used were either semi-harmonic (typical of automotive and avionics systems) or non-harmonic
- $C_i(HI) = 2 C_i(LO)$
- At runtime, jobs had variable execution times with a probability of exceeding $C_i(LO)$ of 0.01% (i.e. approx. 1 in 10,000 jobs of HI-criticality tasks exceed their $C_i(LO)$)
- Simulation run for each task set was 10^{13} time units, enough for 10^6 periods of the longest task

■ Performance metrics

- **HDM** Number of HI-criticality task deadline misses – this was always zero, so is not shown on the graphs
- **NiD** Number of times degraded mode was entered
- **TiD** Total time spent in degraded mode
- **JNE+LDM** Number of LO-criticality jobs that were either not executed or missed their deadlines





Scheduling Schemes

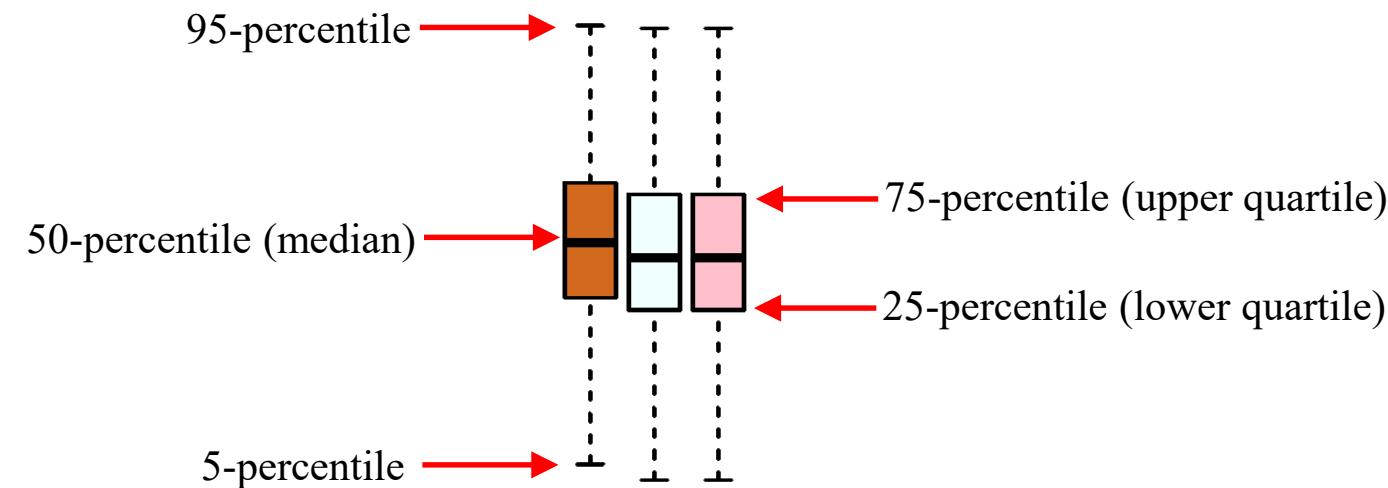
- **Comparison between different families of scheduling schemes**
 - AMC-RA modified runtime protocol with exit from degraded mode on an idle instant
 - AMC-RH modified runtime protocol with fast exit from degraded mode
 - AMC+ original runtime protocol with exit from degraded mode on an idle instant
 - BP Bailout Protocol – based on AMC+ with a faster return to normal mode

- **Variants**
 - S (Static Slack) e.g. **AMC-RAS, AMC-RHS, AMC+S, BPS**
 - G (Gain time) e.g. **AMC+SG, BPSG**
 - L (Lazy execution) **AMC-RASL, AMC-RHSL, AMC+SGL, BPSGL**



Presentation of results

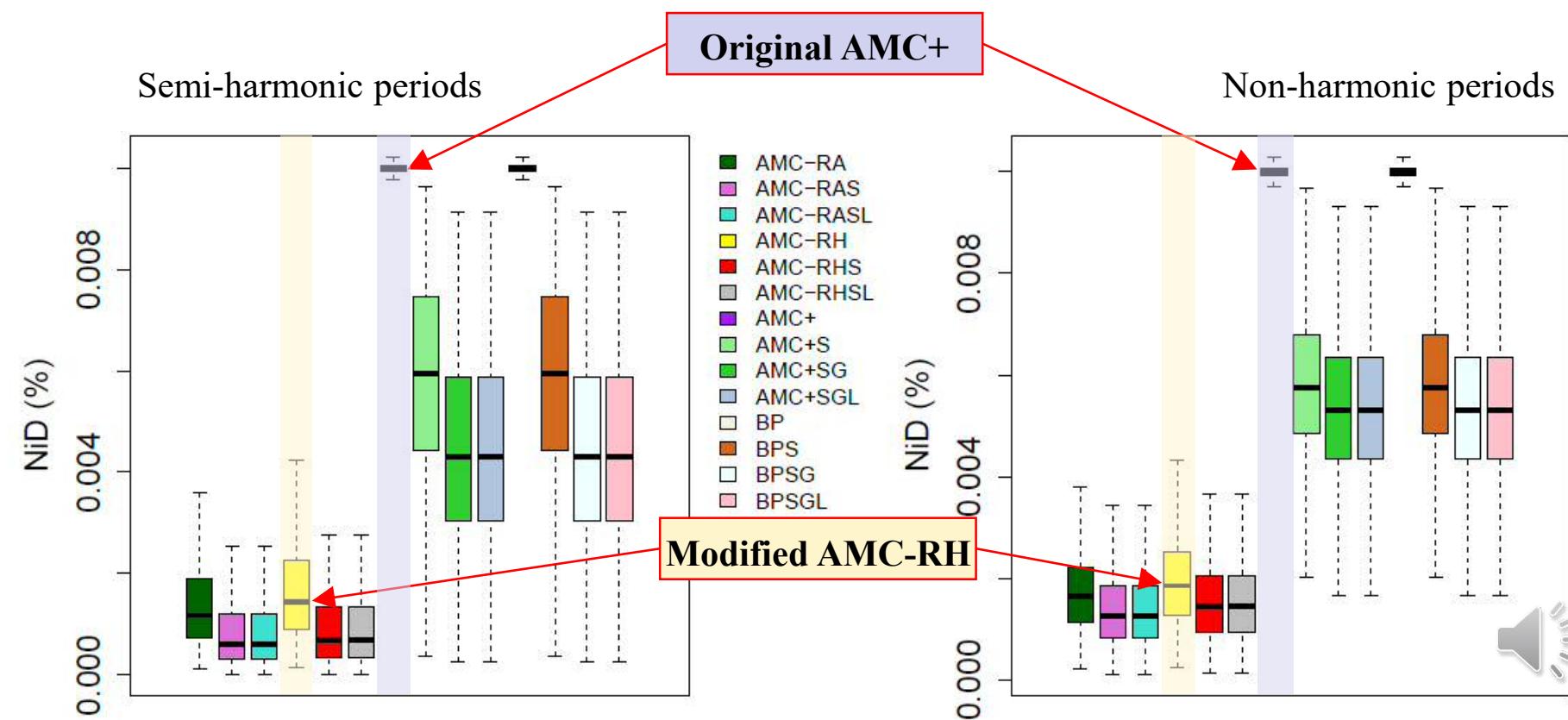
■ Box and whisker plots



Results

1. Number of times degraded mode entered reduced to 16.8% and 19.9% respectively of the mean values for the original protocol

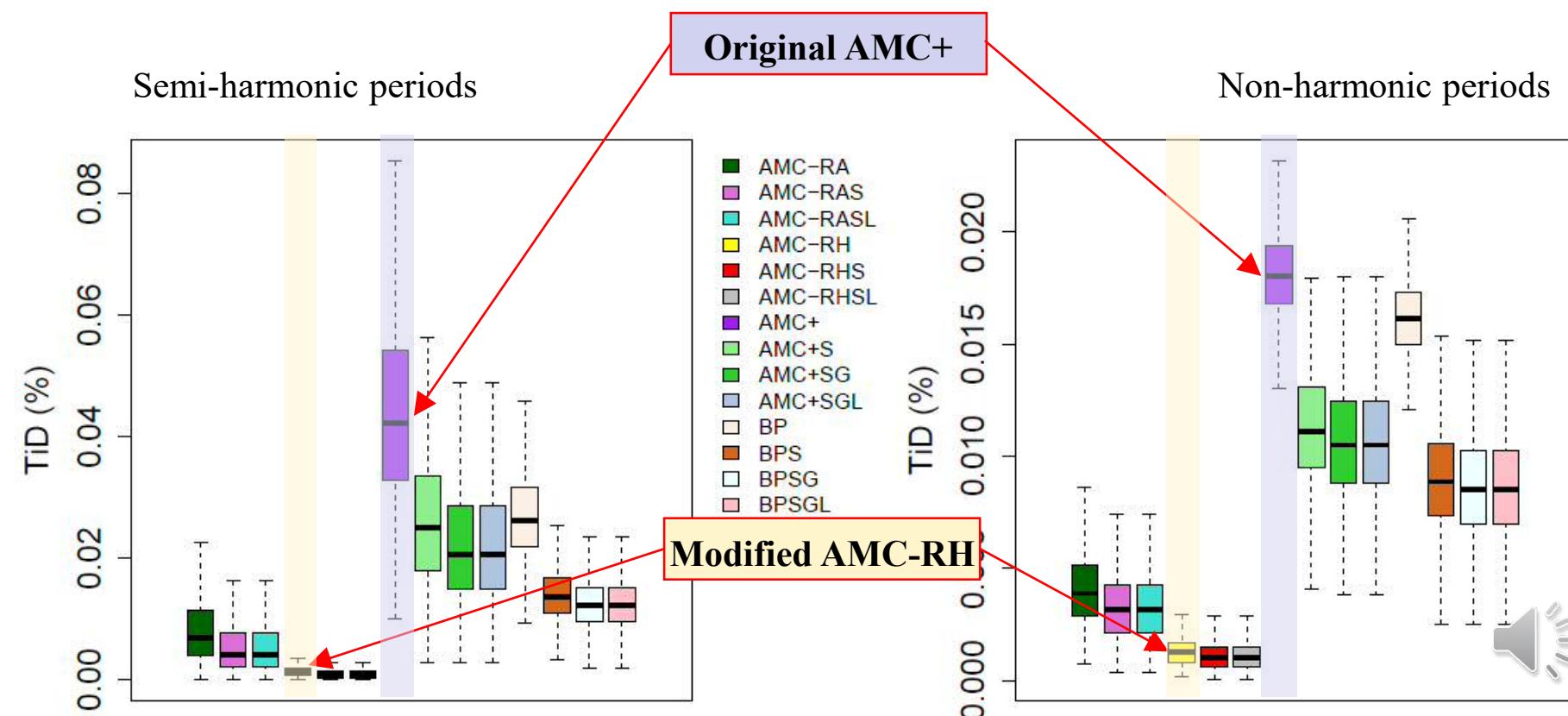
- NiD% (Number of times degraded mode entered)



Results

2. Total time in degraded mode reduced to 1.7% and 4.1% respectively of the mean values for the original protocol

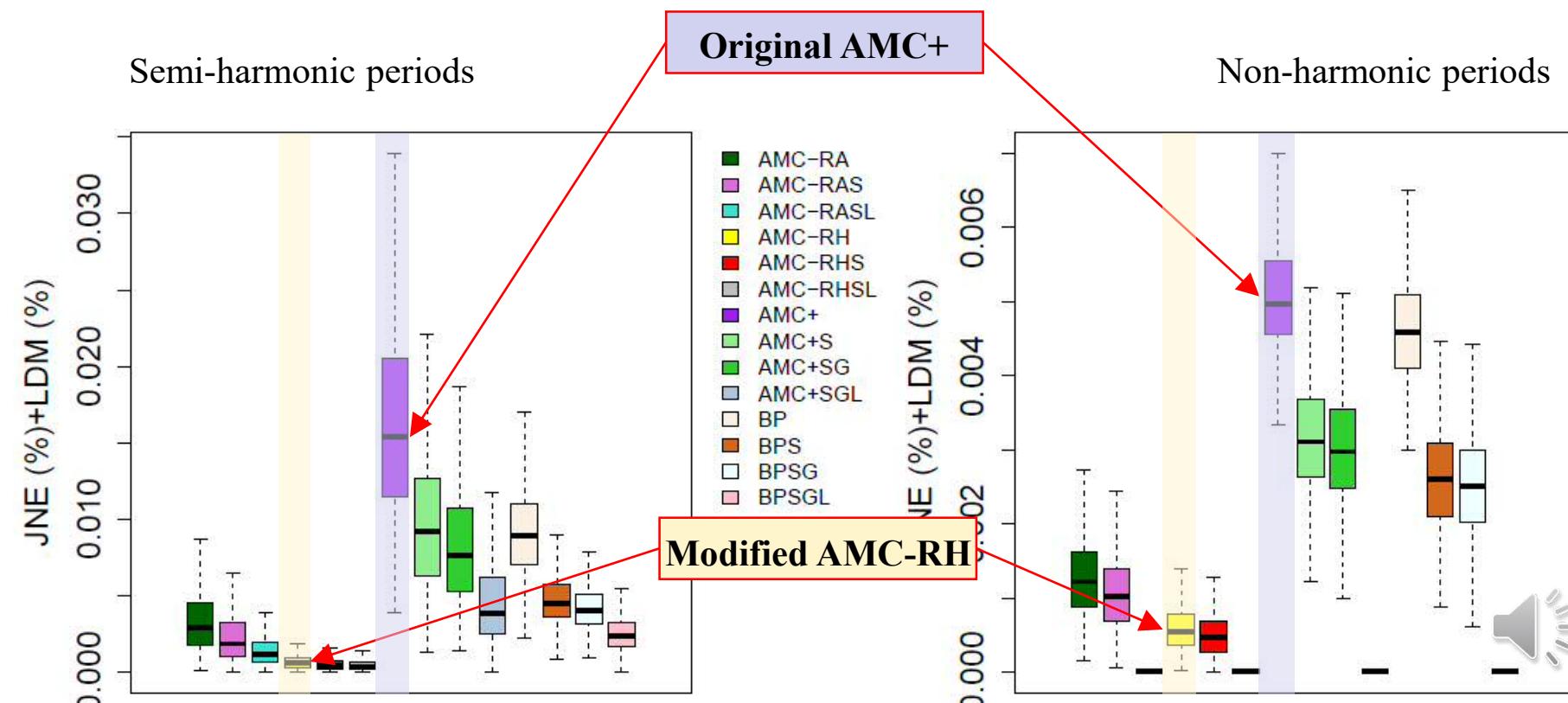
- TiD% (Total time in degraded mode)



Results

3. LO-criticality jobs not executed or missed deadline reduced to 2.5% and 8.7% respectively of the mean values for the original protocol

- JNE%+LDM% (LO-criticality jobs not executed or missed deadline)



Implementation of the modified AMC runtime protocol

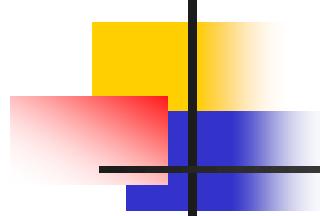
■ RTOS track busy period start times

- Need the start time $s[i]$ of each currently active priority level- i busy period for all priority levels corresponding to HI-criticality tasks
- Track these start times via $O(1)$ operations at each job release
- When a new job of task τ_i is inserted into the run queue then if it is inserted at the head of the run queue $s[i] = \text{current time}$ (i.e. the release time of the job) otherwise the busy period start time is inherited, $s[i] = s[k]$, from that of the task τ_k that is immediately ahead of task τ_i in the run queue (i.e. next higher priority active task)

■ RTOS track response time expiries

- Require monitoring of response time expiry for all active jobs of HI-criticality tasks
- **Similar to monitoring deadline expiry** and can be integrated with it
- It can be implemented using a single timer interrupt and an expiry queue
- $O(\log n)$ operations at each job release (for queue insertion)
- $O(1)$ operations to handle response time expiry (e.g. to switch to degraded mode)
- $O(1)$ operations at job completion (e.g. to switch back to normal mode)





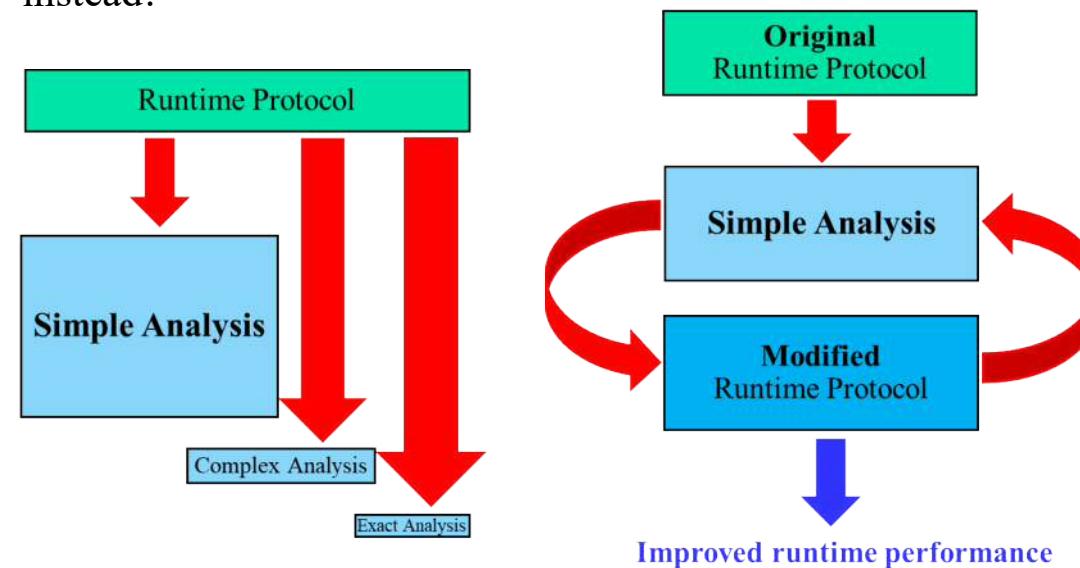
Conclusions: Modified AMC runtime protocol

- **Retains the schedulability guarantees afforded by the AMC-rtb test**
 - For systems passing the AMC-rtb test, all tasks meet their deadlines according to the requirements R1 and R2 placed on Mixed Criticality Systems
- **Substantial improvements in runtime metrics vs original protocol**
 - Reduces the number of times that degraded mode is entered (5-6 fold reduction)
 - Reduces the total time spent in degraded mode (24-60 fold reduction)
 - Reduces the number of LO-criticality jobs that are abandoned or miss their deadlines (11-40 fold reduction)
 - Larger of these improvements were observed with semi-harmonic periods typical of automotive and avionics systems
 - Automatically benefits from gain time and non worst-case job release patterns
- **Suitable for use by industry**
 - Based on the simple yet effective AMC-rtb test and its guarantees
 - Substantial improvements in runtime performance, specifically a large reduction in the number of abandoned LO-criticality jobs
 - Similar implementation overheads and complexity to policing task deadlines

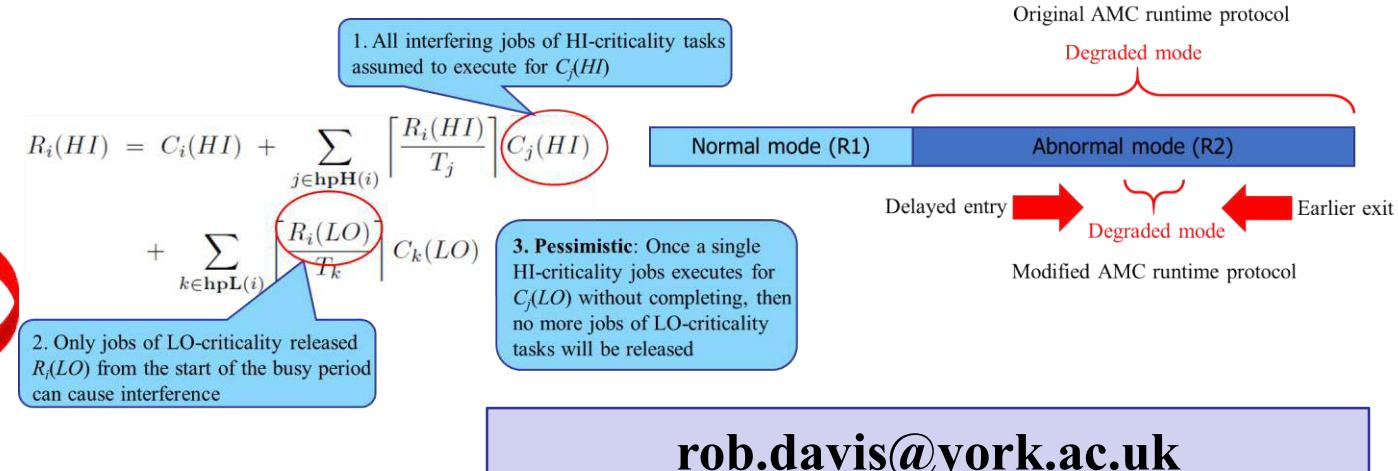
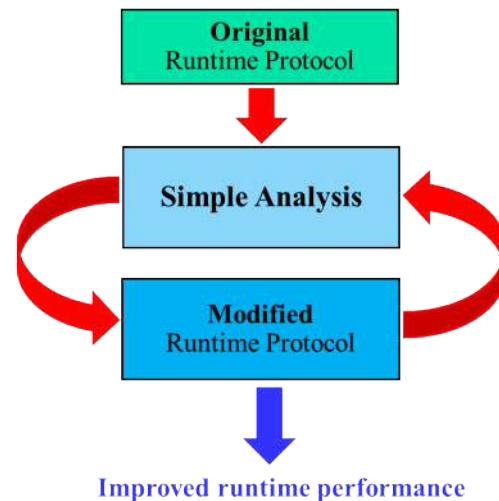


And finally...

- Encourage other researchers to explore the idea of Analysis-Runtime Co-design
 - Significant research effort typically goes into deriving improved schedulability tests often for marginal gains
 - Let's not forget that other aspects are also important to industry
 - It can be worthwhile using simple analysis and improving the runtime protocol instead!



Discussion and Questions?



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